

## Chapter 7 cont.

### III) Selection and Quantitative Traits

#### A) Definition and Background:

Most phenotypic traits are not single gene traits, but are actually multiple gene products working together.

- 1) **Metric Characters** – phenotypic characters that vary in a continuously way (i.e., 1.021, 1.0212, etc.)(e.g., weight, height, length, etc)
- 2) **Meristic Characters** – phenotypic characters that vary discretely (i.e., 1, 2, 3, etc.)(e.g., number of hairs, number of whorls, etc.)
- 3) **Quantitative Traits** – continuously varying characteristics with polygenetic inheritance.
- 4) **Heritability** – the fraction of observed or measured variation in a trait that is due to genes.
- 5) **Measure of Variance** – the degree to which the population as a whole deviates from the mean

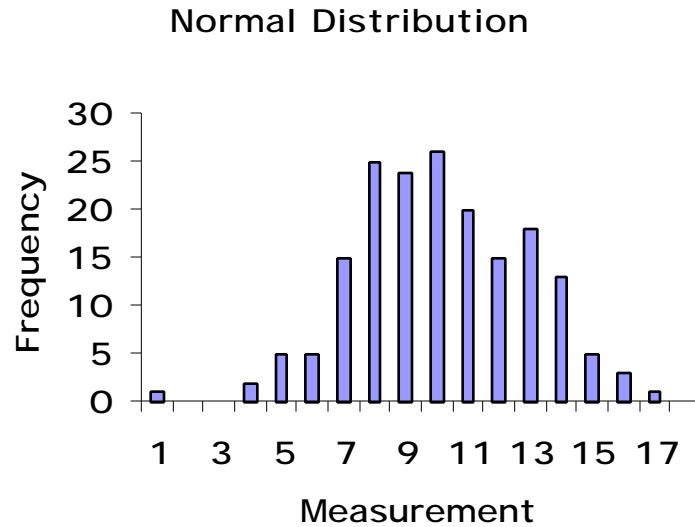
$$V = \frac{(x_1 - \bar{x})^2 + (x_2 - \bar{x})^2 + \dots}{n - 1}$$

where n is the number of individuals

or:

$$V = \frac{1}{n - 1} \sum_{i=1}^n (x_i - \bar{x})^2$$

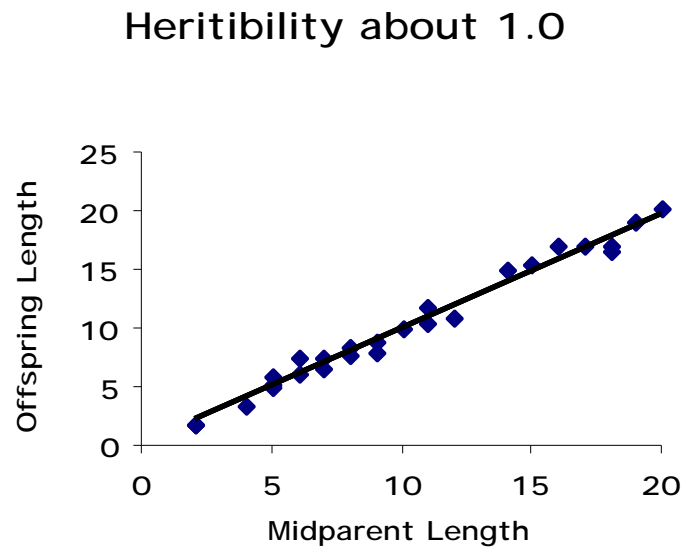
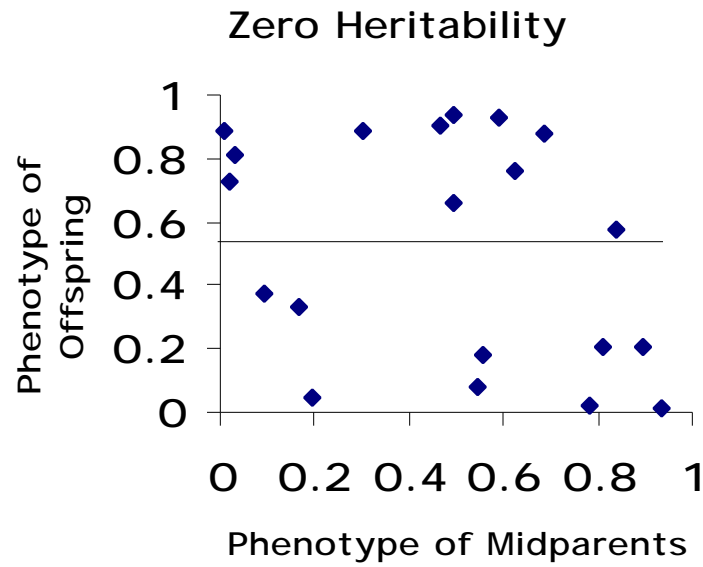
**6) Phenotypic variation – ( $V_P$ ) total observed or measured variation in a trait.**



**7) Environmental variation ( $V_E$ ) is the amount of variation due to the environment. AA in good environment is big but in bad environment is small.**

**8) Heritability – is the fraction of the phenotypic that is due to genetic variation ( $V_G$ ).**

$$\text{Heritability} = \frac{V_G}{V_P} = \frac{V_G}{V_G + V_E}$$

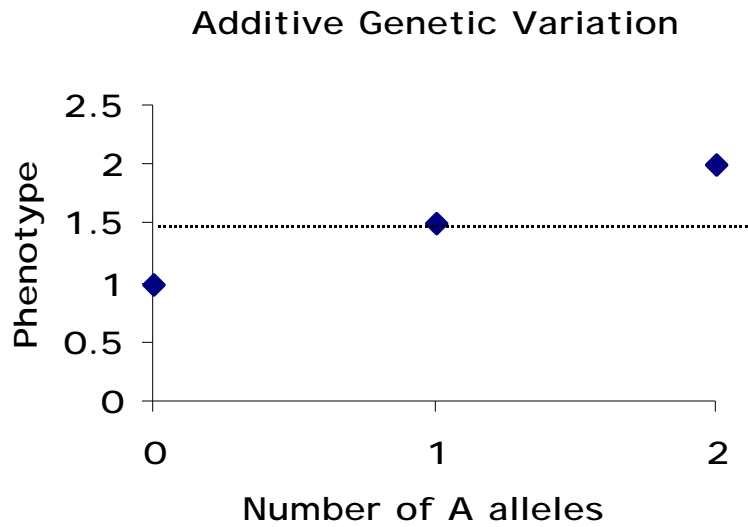


**9) Narrow Sense Heritability –  $h^2$  the fraction of the phenotypic variation that is due to additive genetic variation ( $V_A$ ) and not dominance variation ( $V_D$ )**

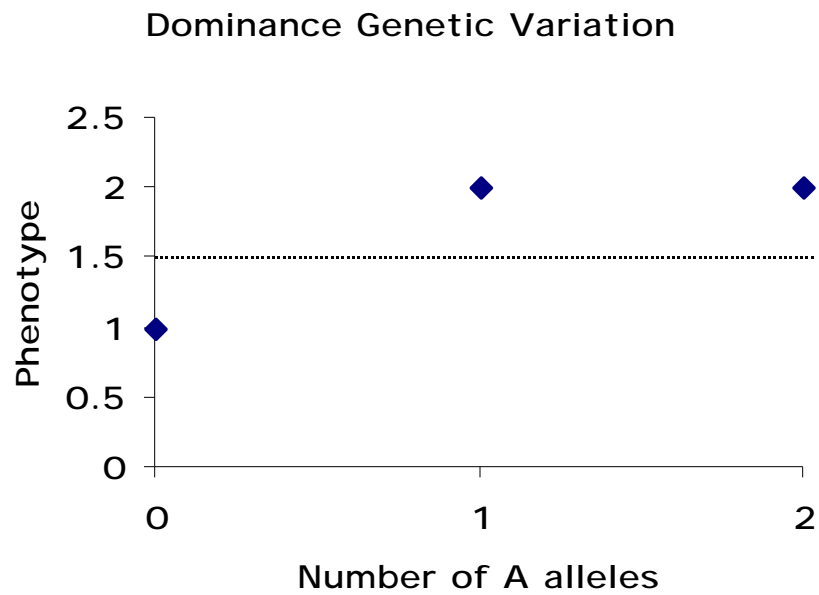
$$V_G = V_A + V_D$$

$$h^2 = \frac{V_A}{V_P} = \frac{V_A}{V_A + V_D + V_E}$$

**Assuming that one A allele changes the phenotype by 0.5 units and there is no dominance**



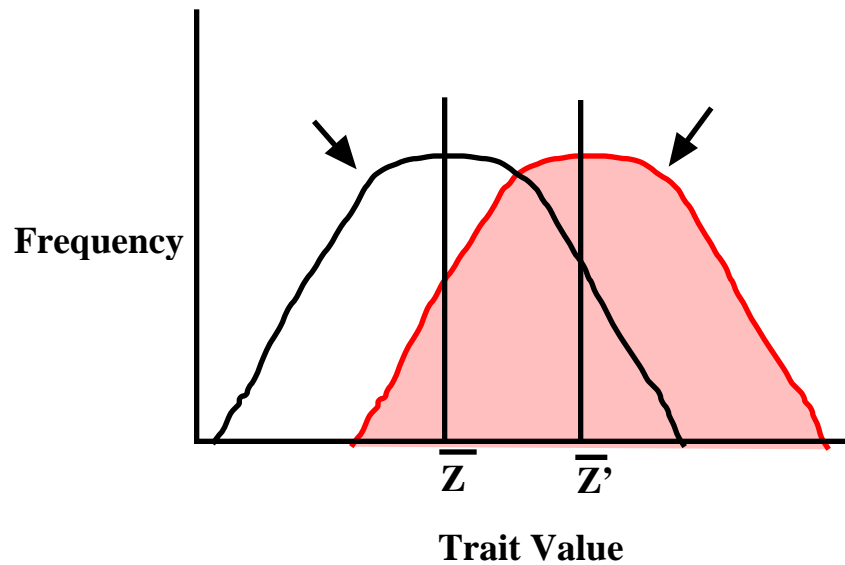
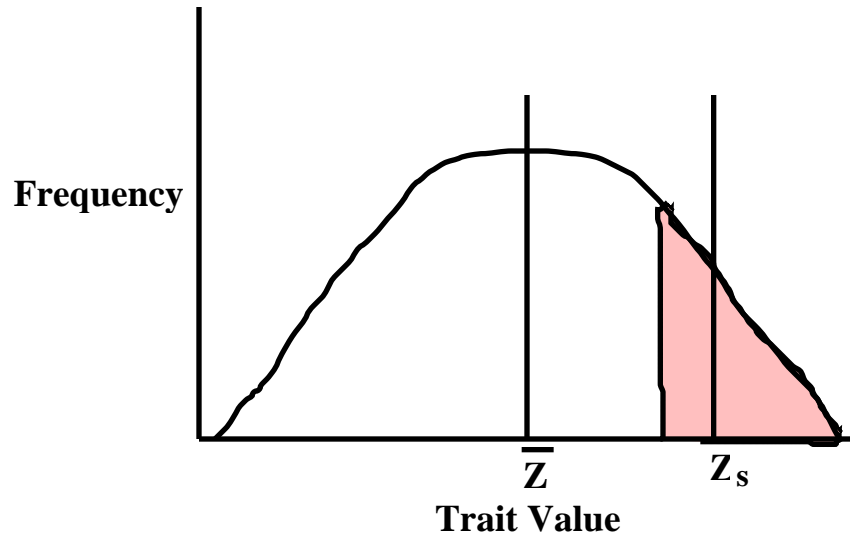
**Assuming that there is complete dominance**



**B) Response to Selection – the response to selection must be a combination of the degree to which the character is heritable and the strength of selection**

$$R = h^2 S \quad \text{or} \quad h^2 = \frac{R}{S}$$

**In Truncating Selection:**



$$S = \bar{Z} - Z_s \quad R = \bar{Z} - \bar{Z}' \quad h^2 = \frac{\bar{Z} - \bar{Z}'}{\bar{Z} - Z_s}$$